

---

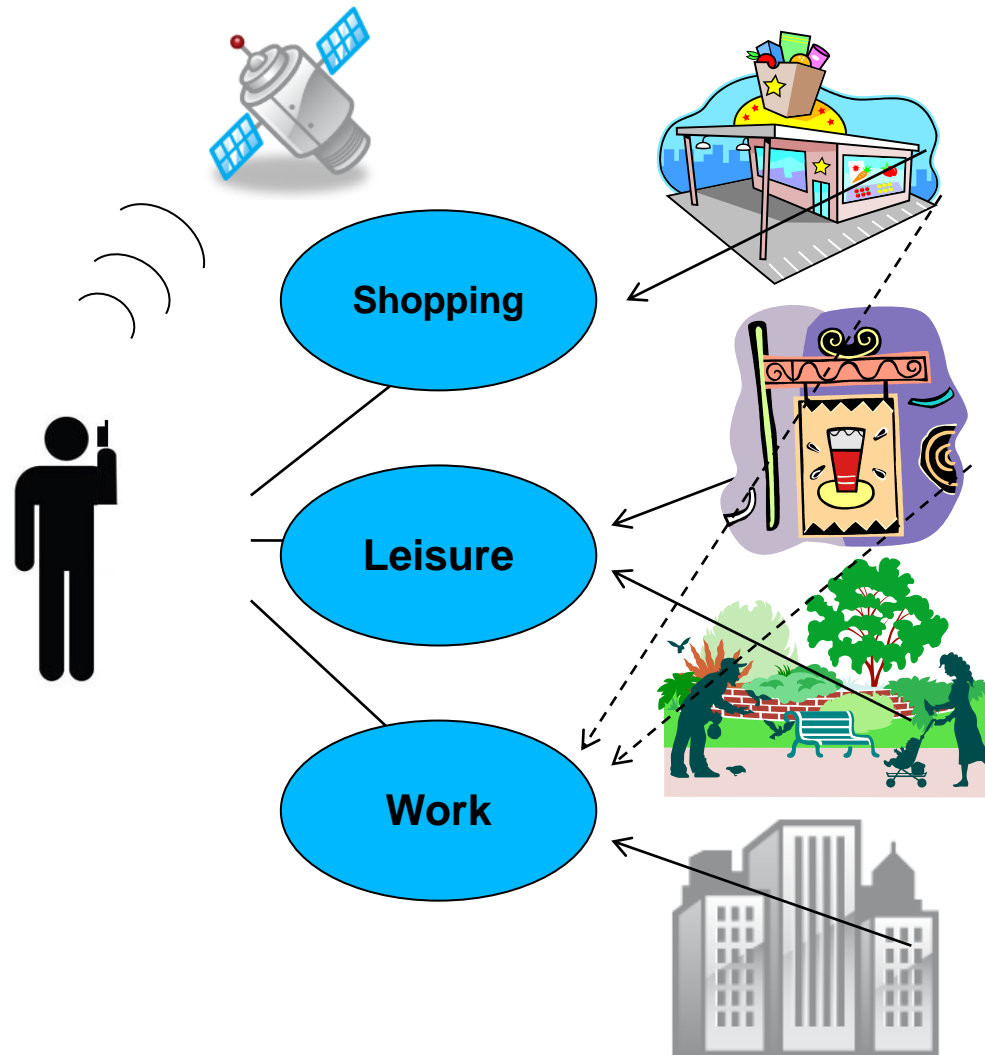
# **Inferring activity choice from context measurements using Bayesian inference and random utility models**

**Ricardo Hurtubia  
Gunnar Flötteröd  
Michel Bierlaire**

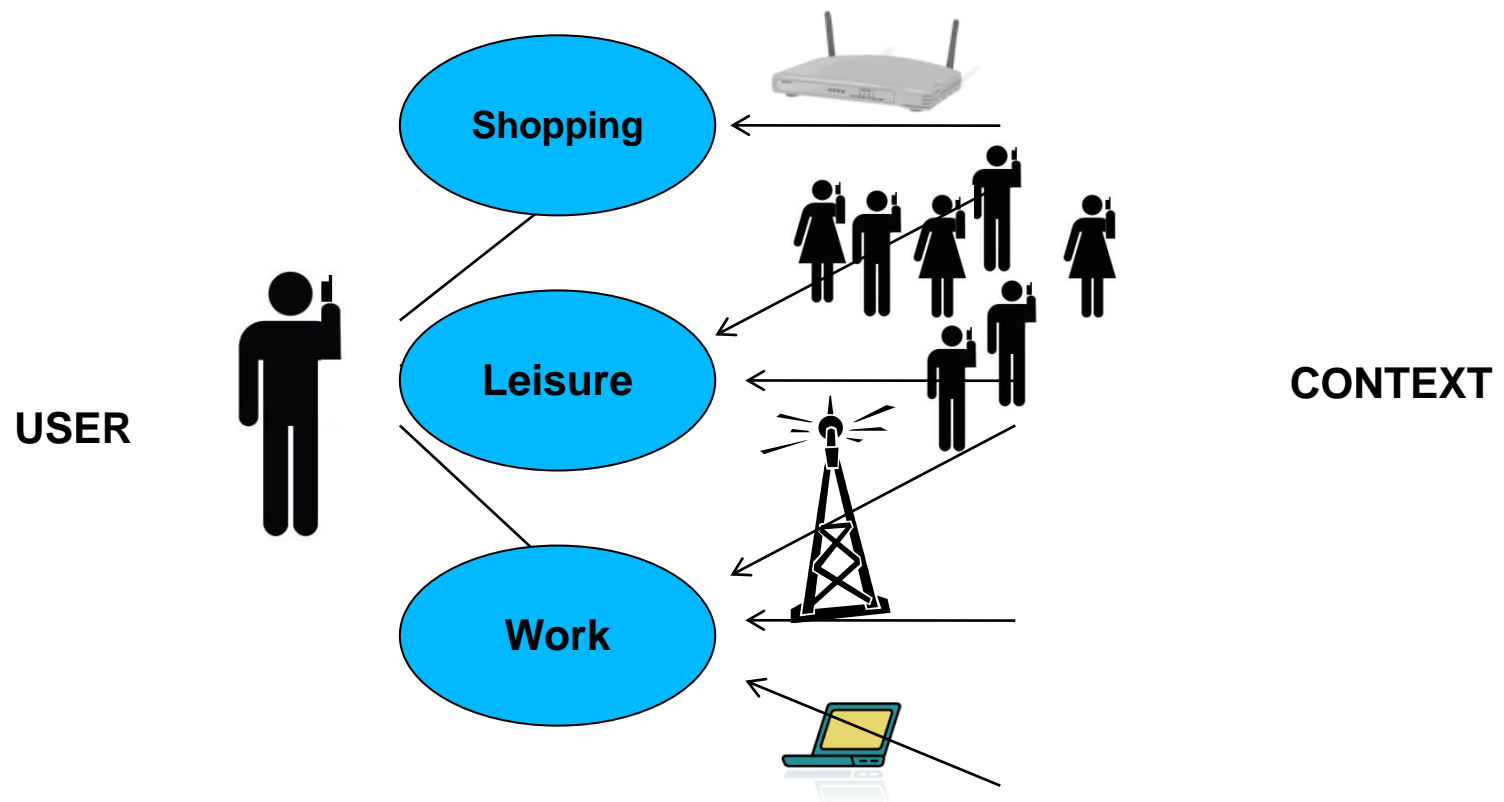
**Transport and mobility laboratory - EPFL**

**Urbanics – February 2010**

# Motivation



# Motivation



# Outline

---

1. Motivation
2. Framework
  - 2.1 Prior model
  - 2.2 Collected data
  - 2.3 Likelihood function
3. Results / Case study
4. Practical Issues
5. Possible improvements
6. Conclusions

# General framework

- Objective: combine general knowledge of population's behavior and individual context variables' measurements into estimates of an individual's activities
- Available data:
  - Reported activities in Swiss Transport Microcensus 2005
  - Land use data
  - Measurements from a smartphone for one user over a two-month period
  - Activity survey
- Bayesian inference:

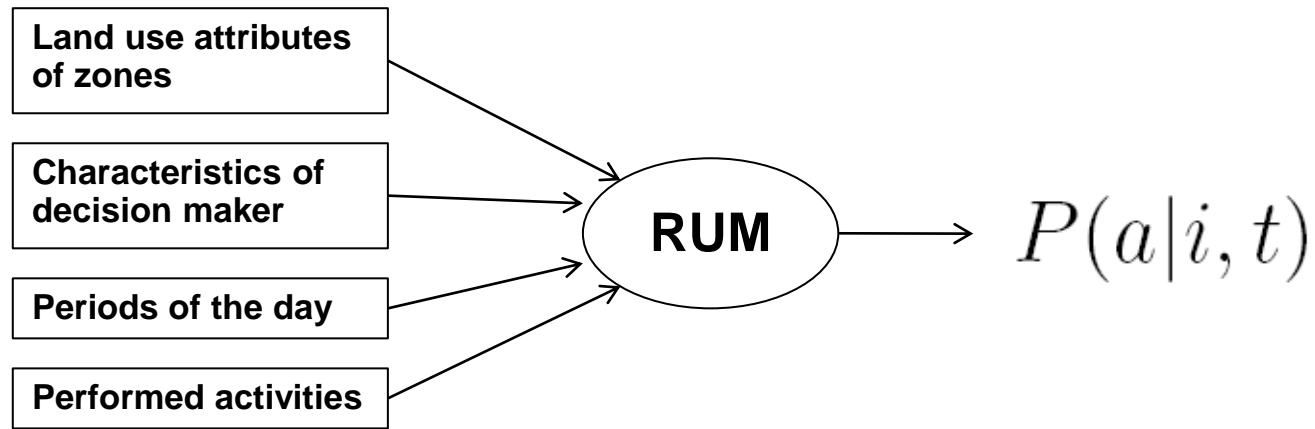
$$P(\text{activity}|\text{measurements}) \propto P(\text{activity}) \cdot P(\text{measurements}|\text{activity})$$

Prior

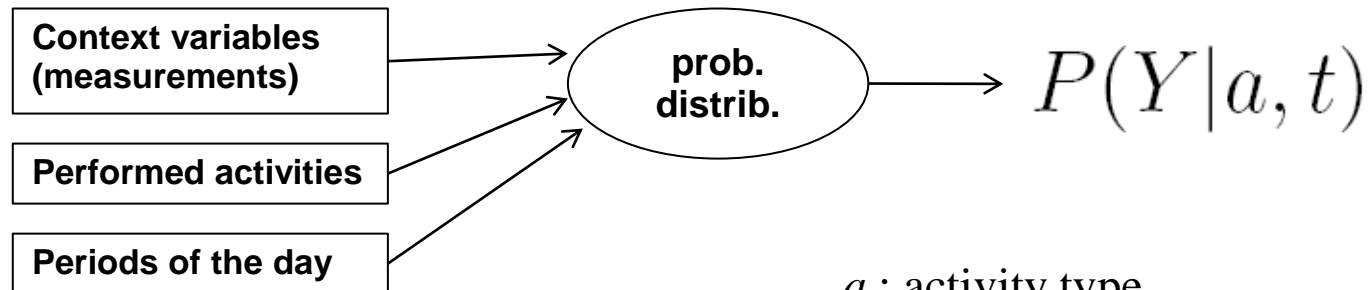
Likelihood

# General framework

- Prior:



- Likelihood:



$a$  : activity type  
 $i$  : zone  
 $t$  : period  
 $Y$ : measurement

# Prior model

- Probability of performing a certain type of activity given a location (zone) and a time of the day
- Structure: Multinomial logit

$$P_n(a \mid i, t) = \frac{\exp(U_{na}(z_i, z_n, \delta_t))}{\sum_{a'} \exp(U_{na'}(z_i, z_n, \delta_t))}$$

$a$  : type of activity (work, study, leisure, shopping....)

$z_i$  : land use attributes of zone  $i$

$z_n$  : attributes of user  $n$

$\delta_t$  : indicator of the period of the day { morning, noon, afternoon, night }

# Prior model estimation results

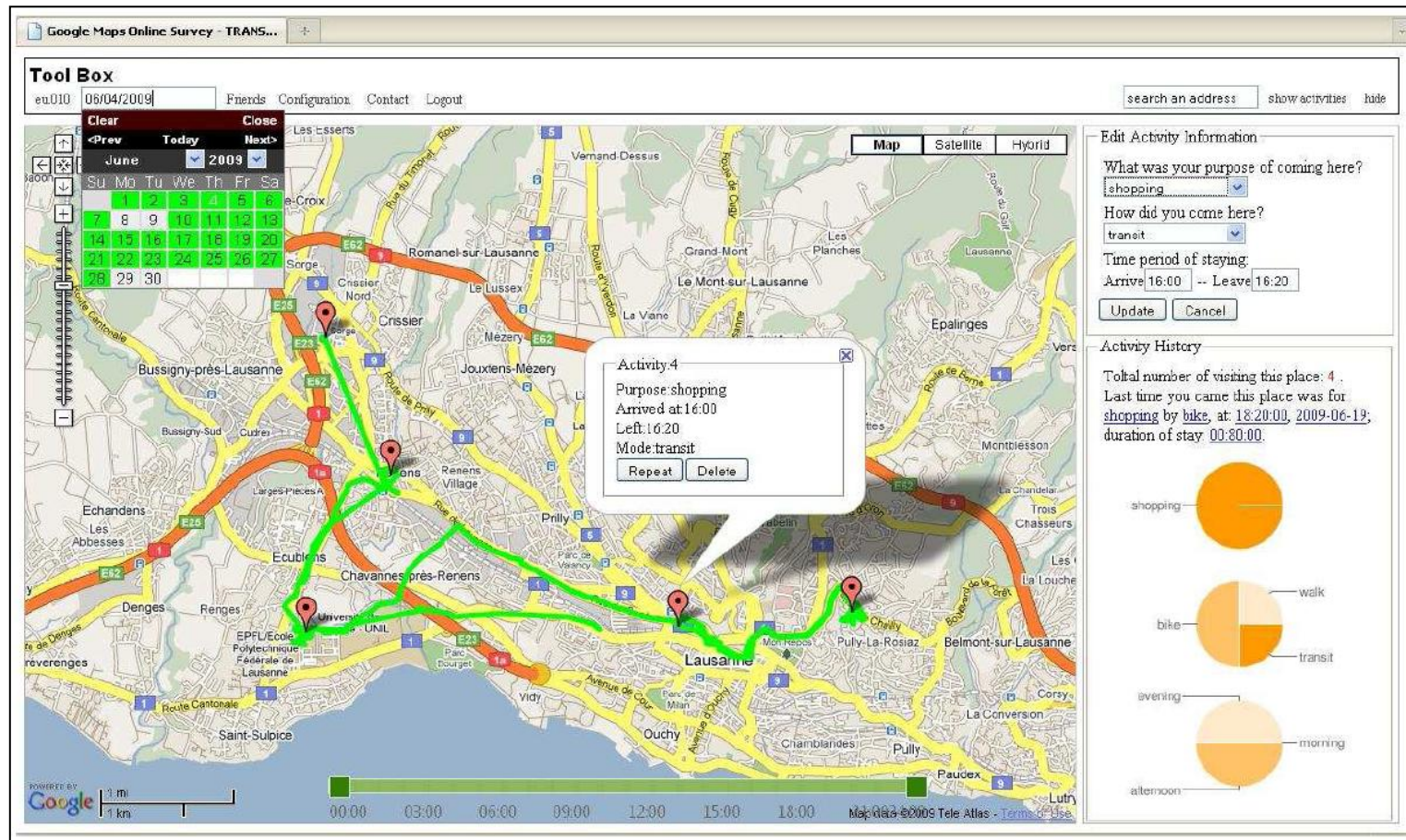
	parameter	work	study	shopping	services	leisure	other
$n$	constant	-	-0.532	2.031	2.311	3.522	0.656
	male	0.713	-	-0.377	-0.278	-	-
	employed	2.132	-	-	-	-	-
	children	-	-	-	-	-	0.379*
$t$	morning	2.720	-	0.887	1.341	-	-
	noon	1.001	-	-	-	-	-
$i$	industry	0.025	-	-	-	-	-
	commerce	-	-	0.077	-	-	-
	services	0.046	-	-	0.055	0.024	-
	other	0.032	-	-	-	0.053	0.065*
	retail	-	-	1.074	-	-	-
	long term retail	-	-	0.554	-	-	-
	restaurant	-	-	-	-	0.109	-
	school*age<19	-	1.694	-	-	-	-
$i \times n$	high_educ*student	-	1.328	-	-	-	-
	morning*student	-	6.516	-	-	-	-
$t \times n$	noon*student	-	4.212	-	-	-	-
	morning*age>60	-	-	1.114	-	0.836	-
	afternoon*age<19	-	-	-	-	0.813	-
	afternoon*age>60	-	-	-	-	-0.242	-
	night*age19_25	-	-	-	-	1.683	-
		-	-	-	-	-	-



# Data: survey

## • Daily activity survey: Two months, one user

- Location
- Time
- Type of activity
- Transport mode



# Data: measurements

- Measurements from a smartphone (Nokia N95)
- Context variables:
  - GPS location
  - Nearby networks (LAN, GPRS, cell id)
  - Nearby Bluetooth devices (MAC address)
  - Movement detection (accelerometer)
  - Call log (duration, direction, contact)
  - SMS (length, direction, contact)
  - Camera usage
  - Media player usage
  - Profile (silent, general, etc)
  - Battery life
  - Energy plug state
  - Inactive time
  - .....



# Data: measurements

---

## Types of measurements:

- Active: actions triggered by the user
  - Camera
  - Media player
  - Calls/SMS
  - Profile
- Passive: product of the environment
  - Detected networks
  - Nearby bluetooth devices

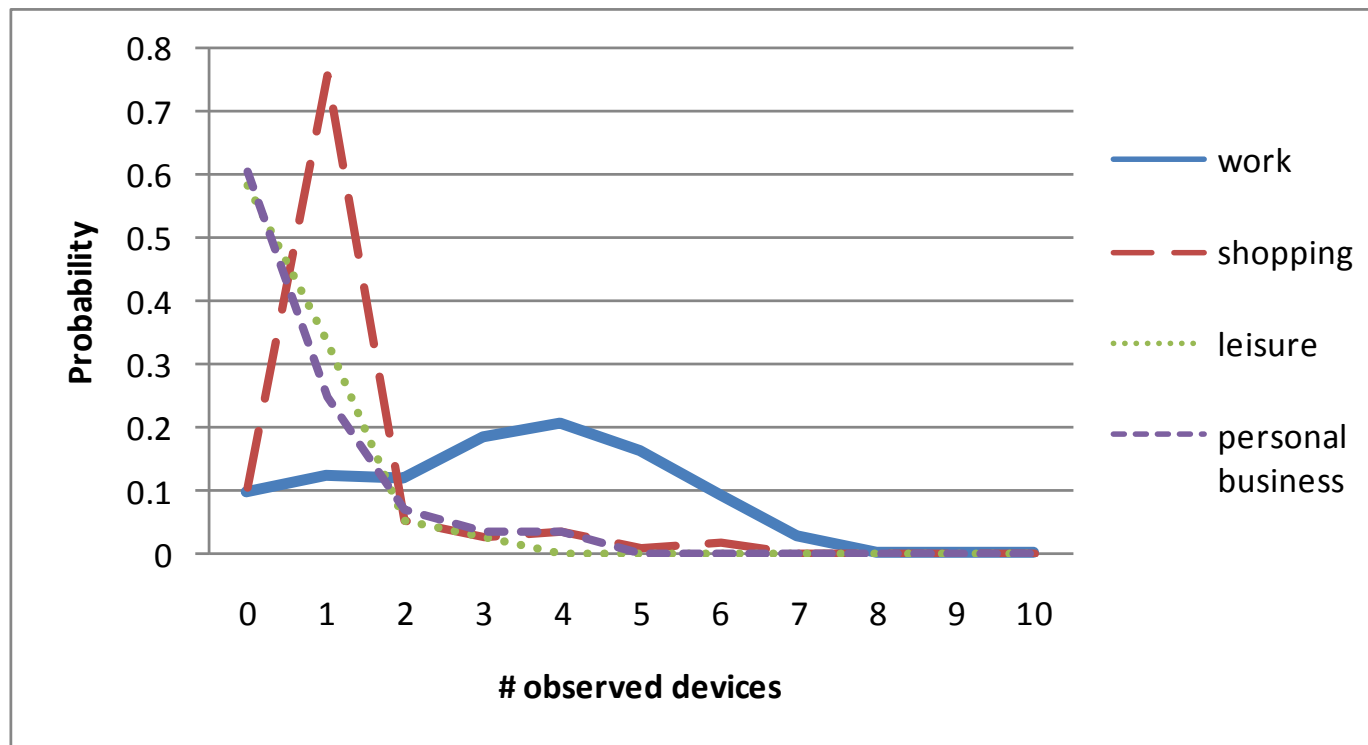
# Data: measurements

---

- Bluetooth measurements can be understood as either an active or passive measurement
  - Number of nearby Bluetooth devices → passive
  - Detection of particular devices → active
    - Decision of user to perform certain activity with specific individuals
    - Decision of other individuals to perform activities with user

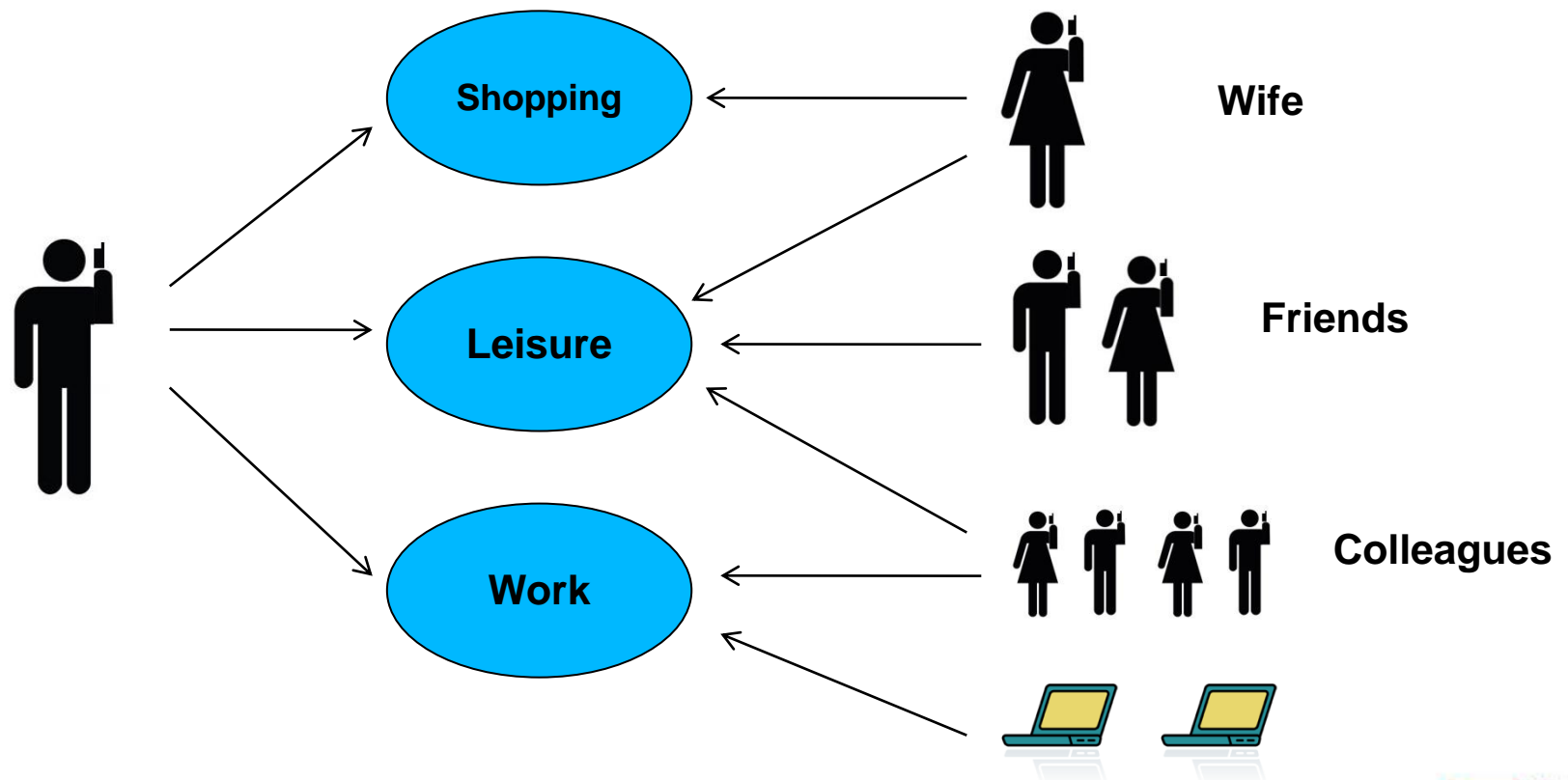
# Measurements: Bluetooth (passive)

- Aprox 8700 measurements
- Distribution of number of detected devices:



# Measurements: Bluetooth (active)

**Frequent Bluetooth devices:** some devices are mostly observed when performing certain types of activities





# Likelihood

- We define

$$y_j = \begin{cases} 1 & \text{if device } j \text{ is observed} \\ 0 & \end{cases}$$

- Joint likelihood:

$$P(Y|a, t) = \prod_j (P(y_j = 1|a, t) \cdot y_j + (1 - P(y_j = 1|a, t)) \cdot (1 - y_j))$$

Probability of observing device  $j$

Probability of not observing device  $j$

# Likelihood

- Empirical probability of observing a device given the activity type and period of the day:

$$P(y_j = 1 | a, t) = \frac{N_{jat} + \varepsilon_a \cdot \alpha}{N_{at} + \alpha}$$

where:

- $N_{at}$ : number of times activities type  $a$  were performed during period  $t$
- $N_{jat}$ : number of times device  $j$  was detected while performing activities type  $a$  during  $t$
- $\varepsilon_a$ : probability of observing any device while performing activity type  $a$
- $\alpha$ : weight of “uninformed prior knowledge”



# Inference

- We update the prior using the likelihood of the Bluetooth devices' measurements

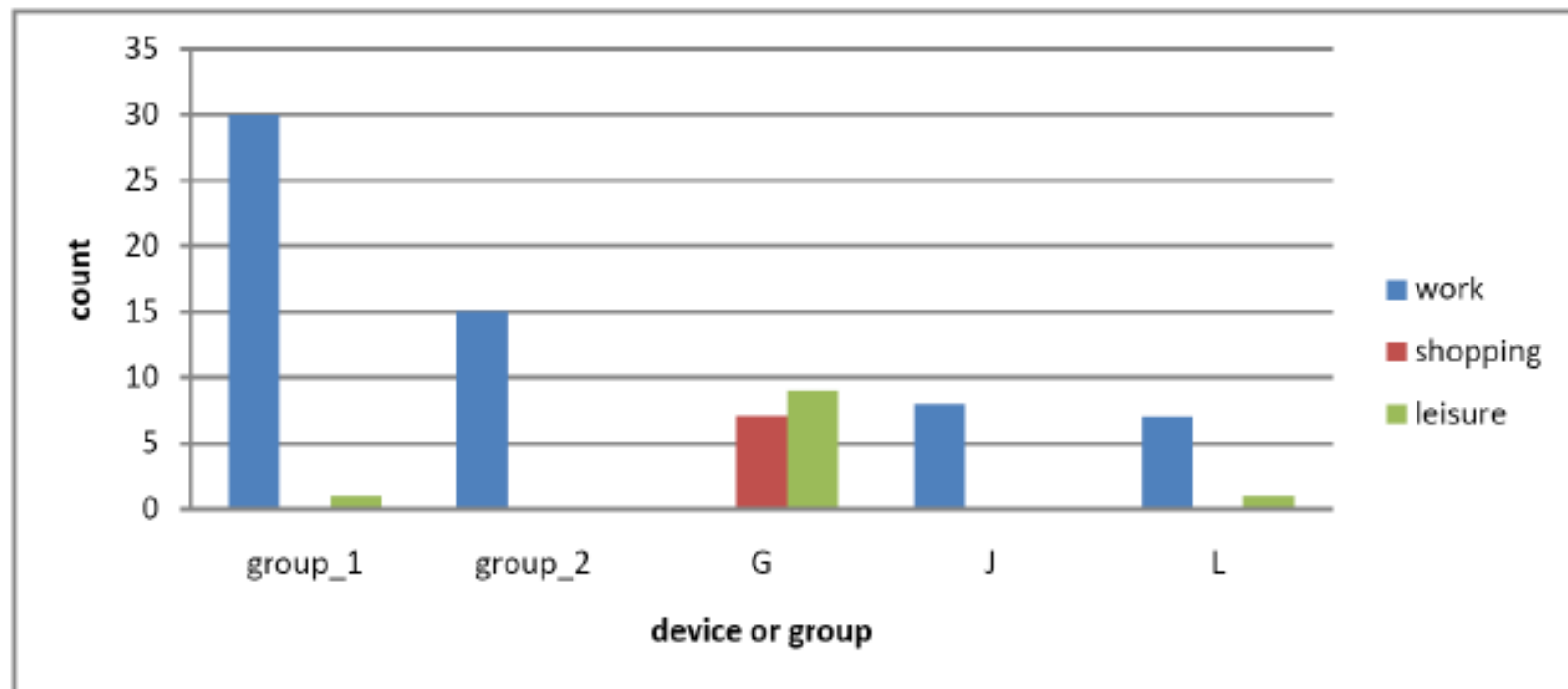
$$P(a|Y, i, t) = \frac{P(Y|a, t) \cdot P(a|i, t)}{P(Y|i, t)}$$

where:

$$P(Y|i, t) = \sum_{a'} P(Y|a', t) \cdot P(a'|i, t)$$

# Case study

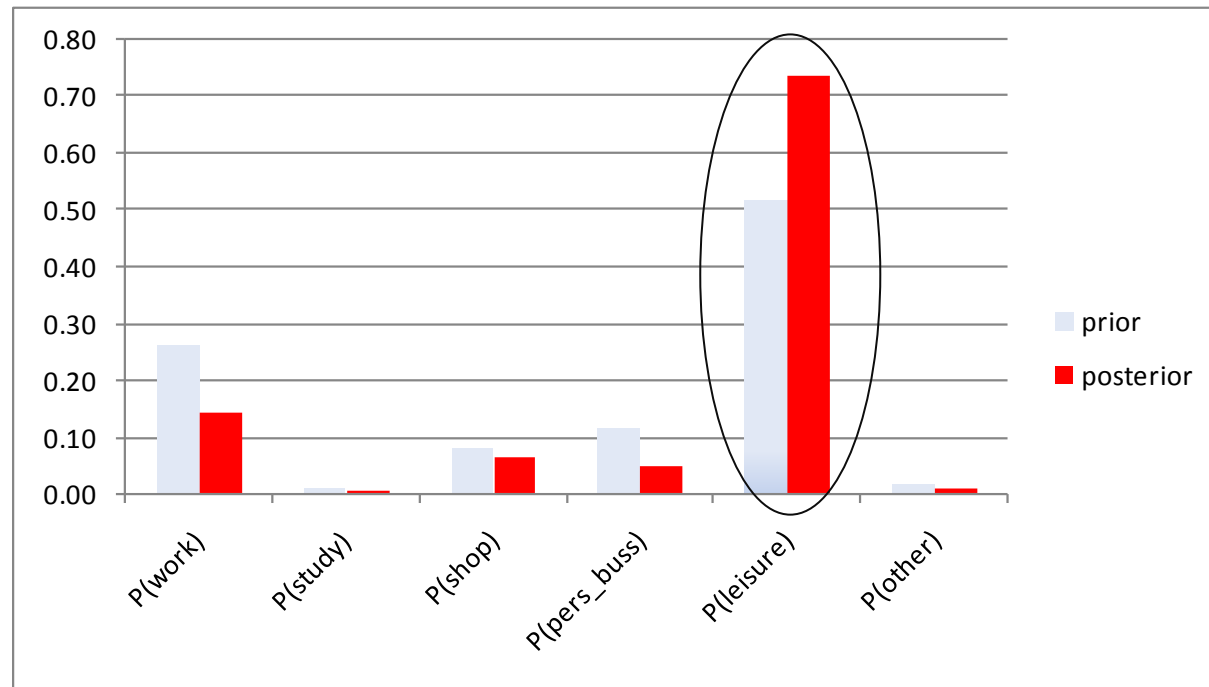
- 12 independent devices appear more than 4 times
- Grouped according to simultaneous-detection correlation



# Case study

- A particular event

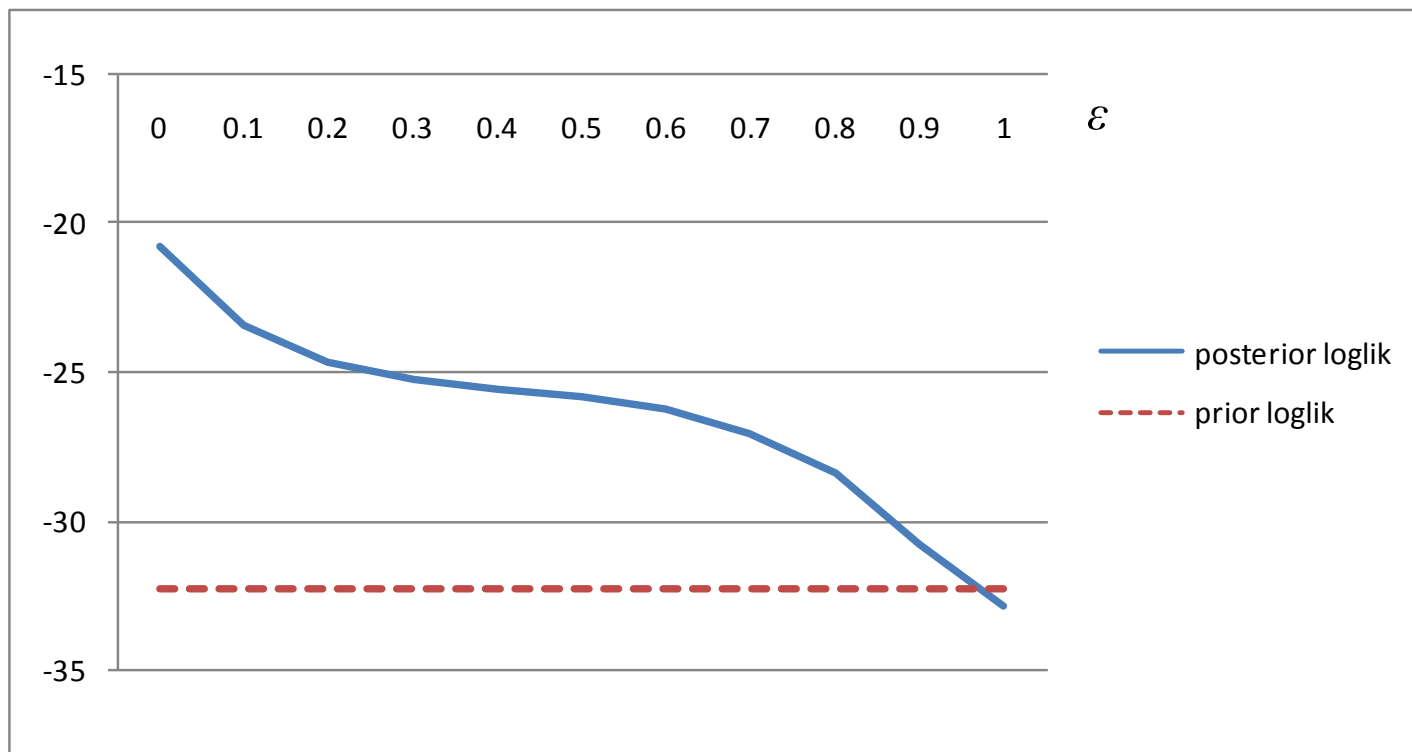
- Leisure activity performed at work location during afternoon/night
- Detection of devices:
  - Group\_1 (frequent at work, also observed at leisure)
  - Device G (frequent at shopping and leisure, never observed at work)
  - Device J (observed only at work)



$$\varepsilon = 0.01$$
$$\alpha = 10$$

# Case study

- If we assume a high value for epsilon, the aggregate fit of the posterior distribution deteriorates



$$\sum_k^K \log \left( \sum_a P_k(a) \cdot 1_{ak} \right)$$

# Practical issues

---

- How do we update the likelihood if there is no survey information available?

– “end of day” update:  $P_k(a | i, t) \quad \forall k$

$$\left. \begin{aligned} N'_{jat} &= N_{jat} + \sum_k P_k(a | i, t) \cdot y_{jk} \\ N'_{at} &= N_{at} + \sum_k P_k(a | i, t) \end{aligned} \right\} \Rightarrow P'(y_j | a, t)$$

# Practical issues

---

- Problem: endogeneity
  - Our prediction of the activity type depends on a likelihood function based on the same prediction
    - Potential propagation of errors
    - Generation of noise.
- Solution?
  - “pop-up questions”
    - Are you at work?
    - Are you shopping?
    - ...

# Possible improvements

---

- **Behavioral approach:**

If we understand the measurement as user  $n$  choosing to perform activity  $a$  with user/device  $j$ :

$$P_n(y_j | a) = f(x_j, x_n, \beta_a)$$

Possible attributes ( $x_j$ ):

- Previously observed frequency while performing  $a$
- Presence while performing other types of activity
- Presence in different locations

- **Inclusion of other measurements in the likelihood function**

# Conclusions and further work

---

- Bayesian approach allows to improve the quality of the activity type inference
- Bluetooth measurements are useful to infer activity type

## Further work

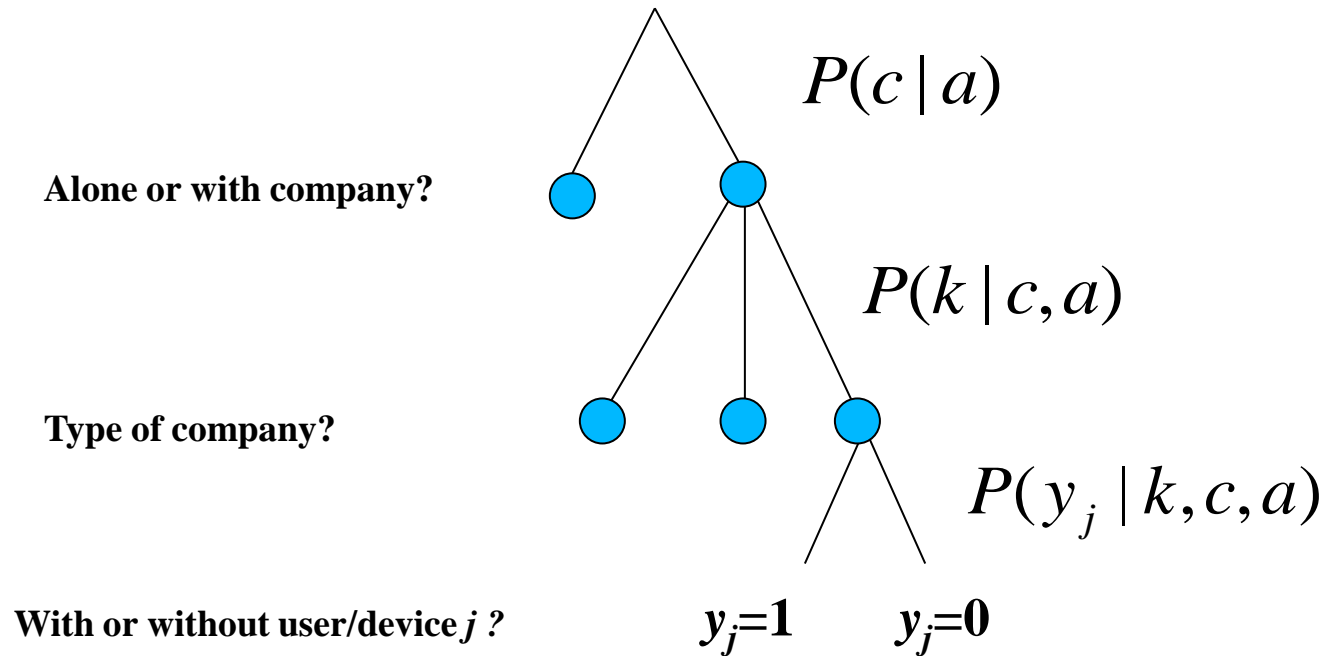
- Test of “end of day update”
- Behavioral explanation of the likelihood function
- Inclusion of other measurements in the likelihood function

**Thank you**



# Behavioral approach

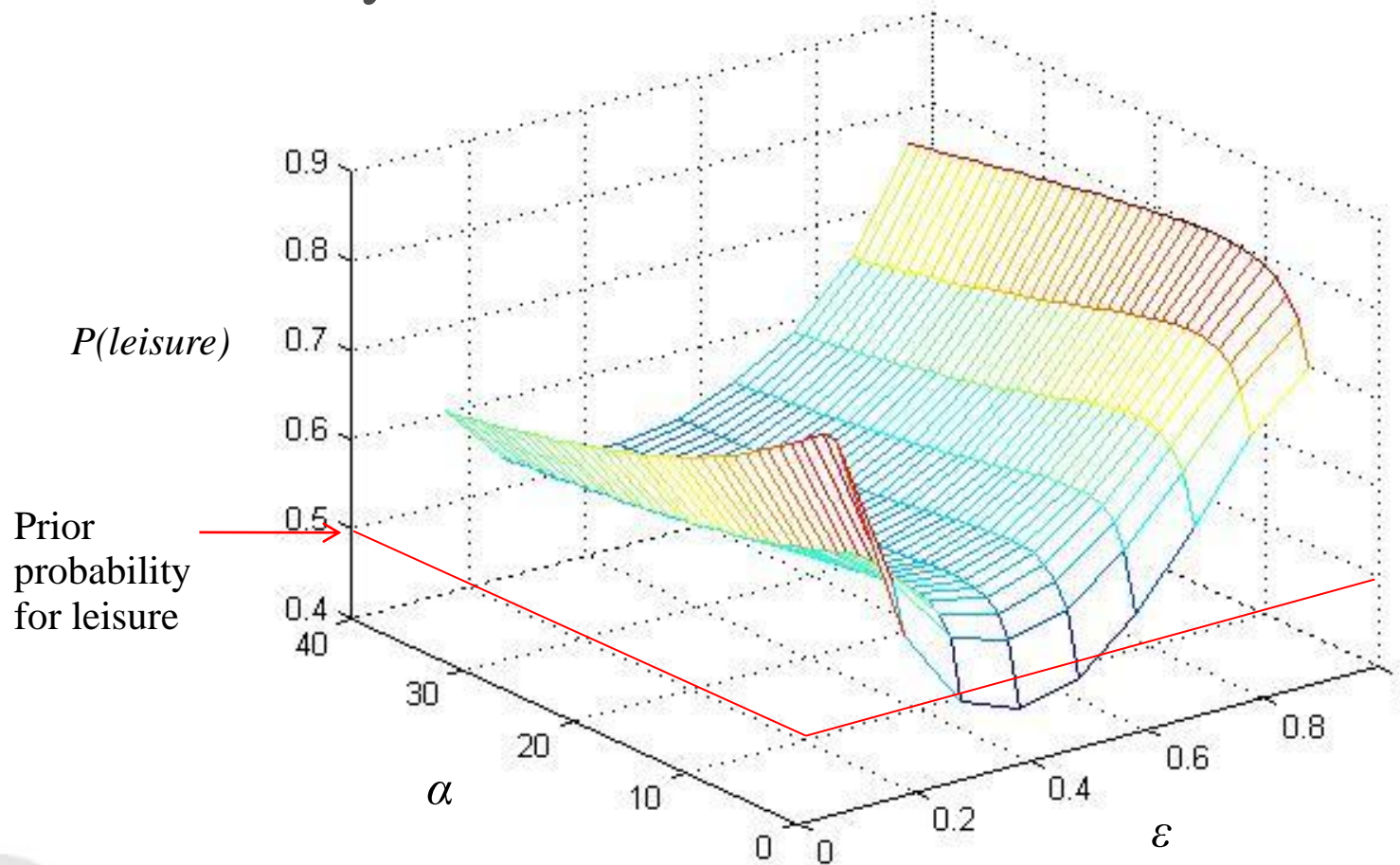
- A better behavioral explanation?



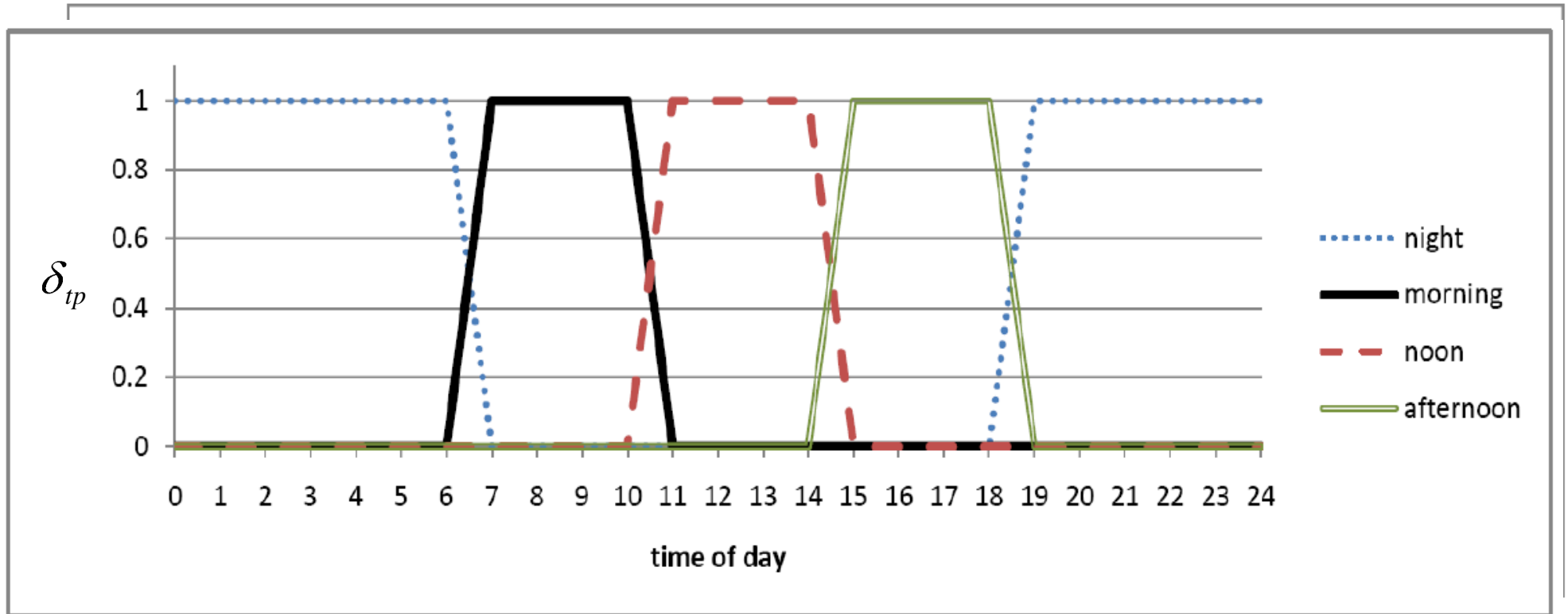
$$P(y_j | a) = \sum_c \sum_k P(y_j | k, c, a) \cdot P(k | c, a) \cdot P(c | a)$$

# Case study

- Sensibility to  $\alpha$  and  $\varepsilon$ .



# Time discretization



$$\delta_t = (\delta_{tp}) \quad p \in \{\text{night, morning, noon, afternoon}\}$$

# Correlation of devices

correl	A	B	C	D	E	F	G	H	I	J	K	L	M	N
A	1	G1	G1	G1	G1	G1			G1					
B	0.73	1	G1	G1	G1	G1			G1					
C	0.79	0.78	1	G1	G1	G1			G1					
D	0.81	0.80	0.80	1	G1	G1			G1					
E	0.70	0.68	0.68	0.71	1	G1			G1					
F	0.73	0.59	0.65	0.79	0.60	1			G1					
G	-0.27	-0.25	-0.25	-0.25	-0.23	-0.23	1			G2				
H	0.51	0.61	0.48	0.57	0.40	0.49	-0.19	1				G3		
I	0.58	0.68	0.68	0.70	0.54	0.42	-0.19	0.13	1					
J	-0.26	-0.25	-0.25	-0.24	-0.22	-0.22	0.96	-0.18	-0.18	1				
K	0.41	0.52	0.52	0.54	0.48	0.40	-0.13	0.49	0.29	-0.13	1			
L	0.50	0.52	0.44	0.54	0.39	0.50	-0.13	0.70	0.08	-0.13	0.59	1		
M	0.41	0.44	0.35	0.45	0.30	0.31	-0.13	0.18	0.39	-0.13	0.32	0.18	1	
N	-0.50	-0.47	-0.47	-0.46	-0.43	-0.37	0.54	-0.35	-0.35	0.52	-0.25	-0.25	-0.17	1.00

$$correl(j, j^*) = \frac{\sum (y_j - \bar{y}_j)(y_{j^*} - \bar{y}_{j^*})}{\sqrt{\sum (y_j - \bar{y}_j)^2 \sum (y_{j^*} - \bar{y}_{j^*})^2}}$$

BACK