

Workshop on Discrete Choice Models
Lausanne, June 22nd 2017

Modelling Choices of Control Transitions
and Speed Regulations
in Full-Range Adaptive Cruise Control

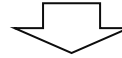
Silvia Varotto, Haneen Farah, Tomer Toledo,
Bart van Arem, Serge Hoogendoorn

1. Introduction

Control transitions between ACC and manual driving

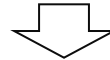
Driver switches off

System switches off



Microscopic traffic flow models

Control transitions are not modelled



ACC vehicles have an effect on traffic flow efficiency (?)

(Klunder, et al. 2009; Van Driel & Van Arem 2010)

2. Literature review

Xiong and Boyle (2012), Varotto et al. (2017)

DIDC to *Inactive*

Leader speed & acceleration

Cut-in anticipation

Ramps & exits

Driver heterogeneity

DIDC to *Active and accelerate*

Acceleration

Time after activation

Ramps

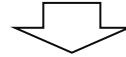
Driver heterogeneity

3. Research objectives

Develop an empirically underpinned modelling framework

In which conditions do drivers transfer control?

How does driver behaviour change during these transitions?



Estimate a driver behaviour model



Predict the effects of control transitions on traffic flow

4. Data collection

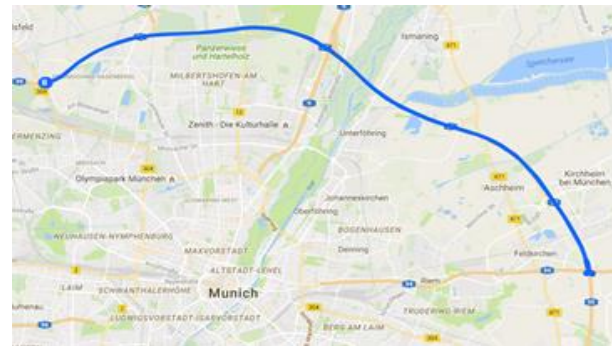
Controlled on-road experiment

Drive as you do in real life and use the system only when you think it is appropriate

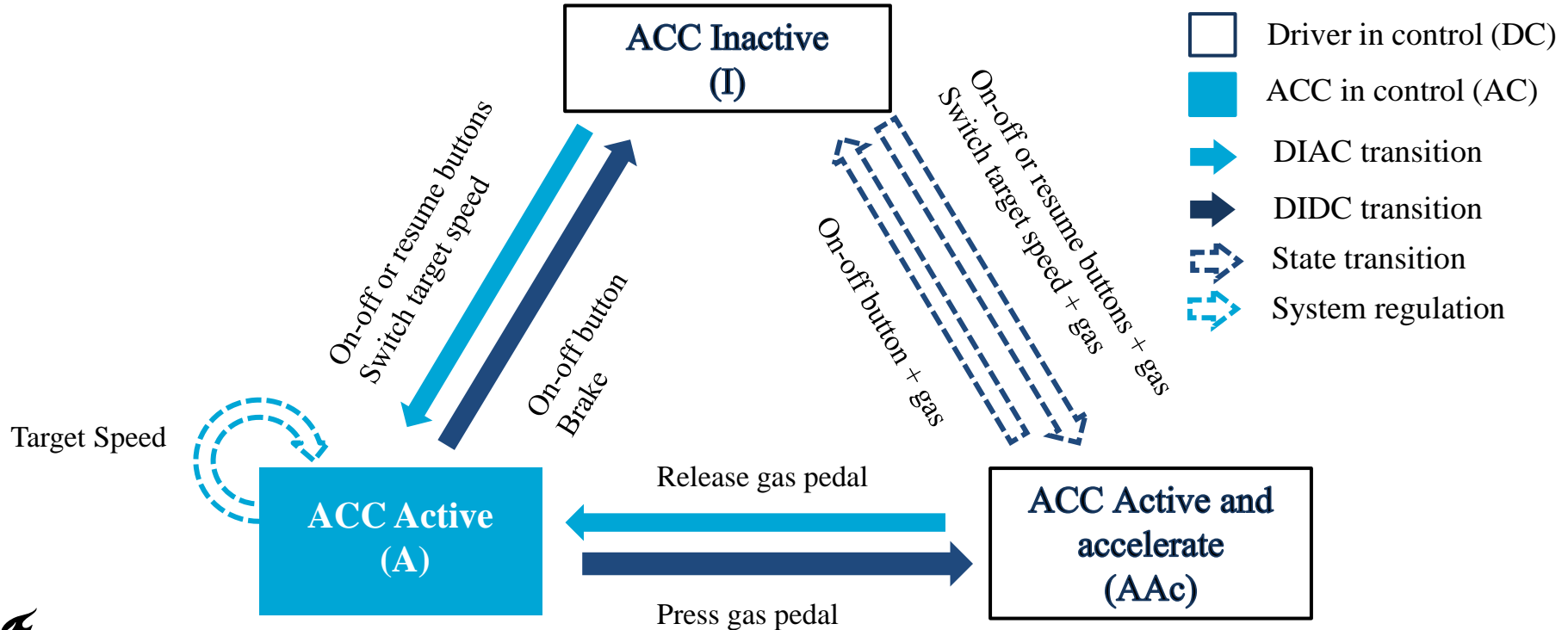
BMW 5 series with full range ACC

Peak hours, A99 ~ 35.5 km

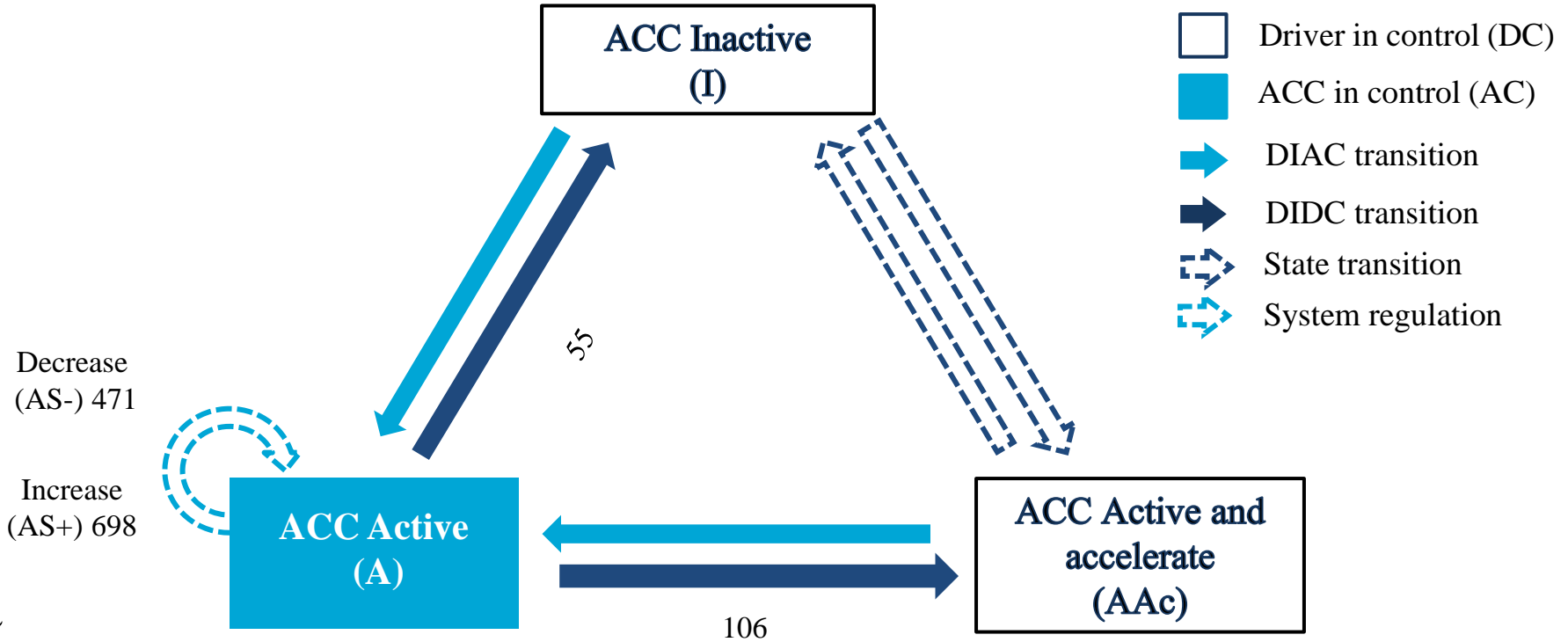
23 participants



4.1 ACC system specifications



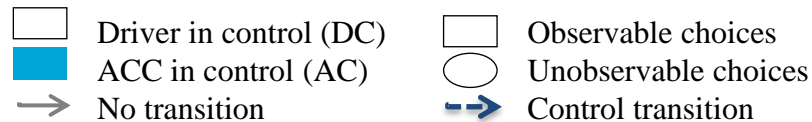
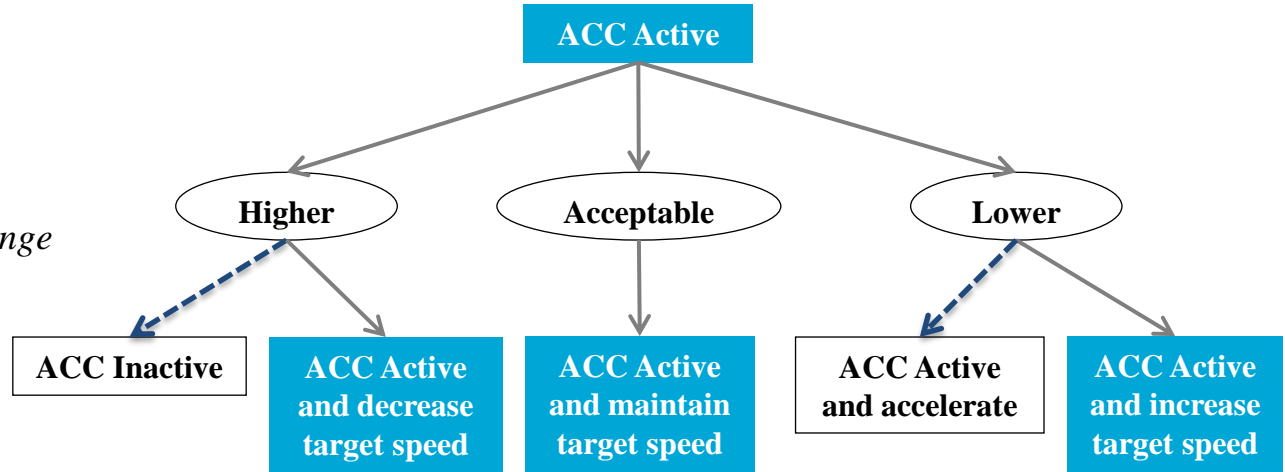
4.2 Dataset



5. Choice model to manual control

Feeling of risk and task difficulty evaluation: actual level vs. acceptable range

System state and speed regulation choice



5.1 Risk feeling and task difficulty

Ordered probit model with random thresholds

Latent
Regression

$$RFTD_n(t) = \lambda_{DrivBehChar} \cdot DrivBehChar(t) + \sigma \cdot \delta_n(t)$$

Random
Thresholds

$$MinAc_n = t^L + \tau_{DrivChar}^L \cdot DrivChar + \rho^L \cdot \ln[\exp(V_n^{AAc}(t)) + \exp(V_n^{AS+}(t))] + \gamma^L \cdot \vartheta_n$$

$$MaxAc_n = t^H + \tau_{DrivChar}^H \cdot DrivChar + \rho^H \cdot \ln[\exp(V_n^I(t)) + \exp(V_n^{AS-}(t))] + \gamma^H \cdot \vartheta_n$$

λ and τ are vectors of parameters associated with the explanatory variables;

t^L and t^H are the mean lowest and highest risk acceptable;

ρ^L and ρ^H are parameters associated with the utility of resuming control;

γ^L and γ^H are parameters associated with the individual specific error term $\vartheta_n \sim N(0,1)$;

5.2 System state and speed regulation

Mixed logit models

$$\begin{cases} \text{High Risk} & U_n^{AS-}(t) = 0 + \varepsilon_n^{AS-}(t) \\ & U_n^I(t) = \alpha^I + \beta^I \cdot X(t) + \gamma^I \cdot \vartheta_n + \varepsilon_n^I(t) \end{cases}$$

$$\begin{cases} \text{Low Risk} & U_n^{AS+}(t) = 0 + \varepsilon_n^{AS+}(t) \\ & U_n^{AAc}(t) = \alpha^{AAc} + \beta^{AAc} \cdot X(t) + \gamma^{AAc} \cdot \vartheta_n + \varepsilon_n^{AAc}(t) \end{cases}$$

α^I and α^{AAc} are alternative specific constants;

β^I and β^{AAc} are vectors of parameters associated with the explanatory variables $X(t)$;

γ^I and γ^{AAc} are parameters associated with the individual specific error term $\vartheta_n \sim N(0,1)$;

$\varepsilon_n^{AS-}(t)$, $\varepsilon_n^I(t)$, $\varepsilon_n^{AS+}(t)$, and $\varepsilon_n^{AAc}(t)$ are i.i.d. Gumbel – distributed error terms.

5.3 Estimation results

Statistics	
Number of parameters associated with explanatory variables	23
Number of alternative specific constants and mean thresholds	4
Number of drivers	23
Number of observations	23,568
Final log likelihood	-5878
Constant log likelihood (logit)	-6663

Parameters	Estimate	t-test	
L_SPEED	0.00127	2.88	
L_ACCEL	-0.164	-3.98	
L_THW30	-0.127	-7.08	
L_DA	-0.29	-7.53	
L_DV	-0.0329	-14.86	
L_ANTCUTIN	0.235	3.63	
t_H	2.07	27.91	
t_L	-2.2	-31.48	
tH_MEDEXPACC	-0.27	-3.09	
tL_NOVICEACC	-0.147	-2.48	
tH_PATIENT	-0.298	-2.29	
tL_PATIENT	0.379	4.36	
tL_RECKLESS	0.219	3.9	
tL_WL	0.00365	1.88	*
RHO_H	0.342	2.23	
RHO_L	3.09	7.32	
GAMMA_H	0.253	5.41	
GAMMA_L	-0.194	-4.52	
ASC_HI	-2.7	-11.78	
ASC_LAAc	-0.184	-1.03	**
B_EXIT_HI	2.79	6.21	
B_OnRAMP_HI	0.85	2.53	
B_FEM_LAAc	-0.223	-1.91	*
B_logTIMEA_LAAc	-0.553	-11.86	
GAMMA_HI	-0.0396	-0.19	**
GAMMA_LAAc	0.19	2.76	

*Feeling of risk and task difficulty
evaluation*

*System state and speed
regulation choice*

6. Conclusion

Low risk and task difficulty

No experience with ACC

Patient and Reckless

Driver heterogeneity

DIDC to Active and accelerate

Time after activation

Driver heterogeneity

High risk and task difficulty

Experience with ACC

Patient

Driver heterogeneity

DIDC to Inactive

Ramps & exits

7. Future research

Choice Model

Transition choice

Discrete/continuous choice
of control transitions
and speed regulations

Acceleration model

Transition period

Temporal evolution of
driver behaviour
characteristics over time

Acknowledgments

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<http://hf-auto.eu/>

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