

CIVIL-557

Decision Aid Methodologies In Transportation

Lab VIII: Balancing Bike Sharing Systems

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Overview

- Bike sharing system
- Introduction to the exercise: balancing bike-sharing systems

Bike Sharing Systems

Bike sharing systems

- Types of systems:
 - With docks vs dock-less
 - Station-based vs free-floating
 - Bikes and/or e-bikes
- Usually a subscription to the systems guarantees free rides up to x minutes, then a per-minute charge is applied.
- Smartphone apps can allow users to verify real-time availability at pick-up station (and occupancy at drop-off station).



Bike sharing systems

- Examples:
 - [Paris](#)
 - [London](#)
 - [Lausanne](#)
- More and more popular all over the world, but it does not always go as planned...
 - <https://www.brand-e.biz/innovation/dockless-bikes-are-taking-pretty-heavy-flak>
 - <http://www.copenhagenize.com/2015/02/watching-copenhagen-bike-share-die.html>

Bike sharing systems and Operations Research

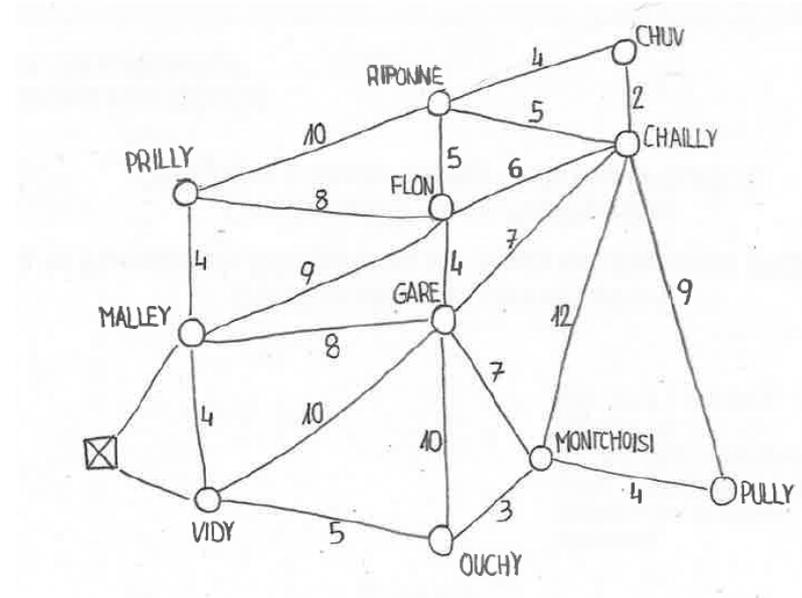
Some problems that can be solved by using OR techniques:

- **Network design:**
 - Input: number of bicycles, number of stations, spatial distribution of the expected demand, ...
 - Output: best locations where to place stations
- **Pricing:**
 - Input: supply of bicycles, demand forecasts, customer utility (e.g. willingness-to-pay), ...
 - Output: optimal fares and subscription fees
- **Balancing:**
 - Input: network, availability at stations at a given time, demand forecasts, number of vehicles used to relocate bicycles and their capacity, ...
 - Output: route of vehicles and number of bicycles to be picked up or dropped off at each station

Exercise: Balancing bike-sharing systems

Our case study

- A new bike sharing scheme in Lausanne with 11 stations and 100 bicycles
- The demand matrix is not symmetric:
 - Morning commute will be mostly directed from residential areas to workplaces. In the afternoon the opposite will happen.
 - Some users might only use the bicycles to travel downhill...
- We want to find the best way (i.e. minimizing the operation costs) to move bicycles at the end of each period while satisfying all the given constraints.



Model

Objective function:

- Minimize the total daily operational costs.

Constraints:

- After each time period ($P = 4$: $p1 = 7:00-11:00$, $p2 = 11:00-15:00$, $p3 = 15:00-19:00$, $p4 = 19:00-07:00$), the company must reposition the bicycles in order to satisfy the demand for the next period at all stations.
- After repositioning, there must be at least 3 bicycles available at all stations.
- After the last time period, the repositioning should lead back to the initial configuration.

Exercise questions

- 2 parts:
 1. Pure network flow formulation
 - Write the model and implement it in OPL.
 - Look at the results and answer the questions.
 2. Routing formulation (the routing constraints are already implemented)
 - Complete the model (can you re-use the code implemented in part 1?) and implement it in OPL.
 - Look at the results and answer the questions.
 - Try to change the vehicle capacity (increase it and decrease it) and look at how the optimal solution changes.

Assignment #7

- Send a zip file which contains your code and a document with the answers to the questions.
- Submit to stefano.bortolomiol@epfl.ch by 8 pm next Monday.
- Group/individual work