

# Decision-Aid Methodologies in Transportation

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# Introduction

The role of transportation systems is to:

- Move people and goods;
  - From one place (origin) to another (destination);
- Safely;
- Efficiently;
- With a minimum of negative impacts (congestion, discomfort, noise, pollution, accidents,...).

# The role of mathematical models

- Transportation systems are complex:
  - their elements are complex;
  - their interactions are complex.
- Need to simplify in order to be able to:
  - describe;
  - design;
  - predict;
  - optimize.

## Need for Decision-aid Systems

# In this course...

- Part 1: Operational models on the demand side:

- Methodology: choice models;
- Applications: transportation mode choice.

Lectures: Matthieu de Lapparent, Labs: Anna Fernández Antolín, Evanthia Kazagli

- Part 2: Operational research problems in transportation:

- Methodology: operations research;
- Applications: scheduling for airlines, ports, railways.

Lectures: Shadi Sharif Azadeh, Labs: Yousef Maknoon, Iliya Markov.

# Learning Goal

The course will

- Introduce decision-support methods for complex transportation problems
- Give practical hands-on experience of solving problems using software and real data

# Learning Assessment

4 credits = 120 hours work (26 h. lectures, 26 h. labs)

Grade consists of 3 components

- 2 graded hand-in assignments
  - One in choice models, one in operations research
  - Corresponds each to 20% of the grade
  - Based on team work (you will be assigned to a group)
  - Hand in joint report
- Final presentation
  - A problem assigned to each group in the last week of the course
  - 20 minute presentation in June (tbd)
  - Corresponds to 60% of grade

# Transportation demand analysis

- Demand in transportation is a *derived* demand (an intermediate consumption).
  - A result of demand for something else.
- Travel results from a decision to *make a trip*, for a certain *purpose* (work, shopping, leisure), to a certain *place* (destination), by a certain *mode* (car, public transport, etc.), along a certain *route*, at a certain point in *time* (departure time).
- Direct demand:
  - wrt people: activities
  - wrt goods: consumption
- Demand/ supply interactions:
  - The level of service influences travel decisions
  - Travel decisions influence the level of service

# Representations of the demand

- Aggregate representation:
  - Modeling element: flow
  - Flow: number of transported units (i.e. travelers, tons of freight, cars, flights, etc.) per unit of time, at a given location.
- Disaggregate representation:
  - Modeling element: the transported unit (i.e. travelers, etc.)
  - Individual behavior of the traveler, or of the actors of the logistic chain.



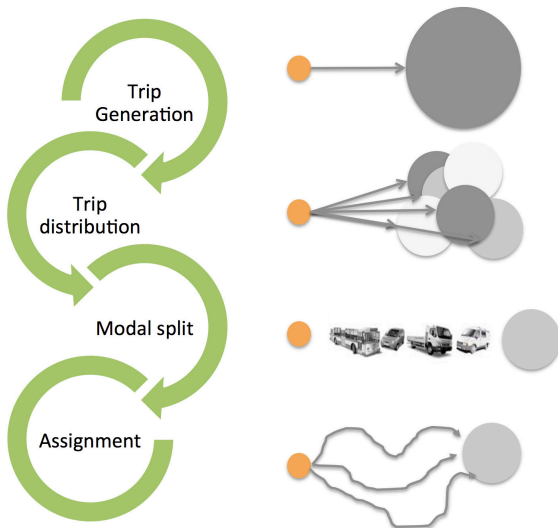
# Representations of the supply

- Transportation supply = infrastructure;
- Network representation;
- Usually one network per mode (roads, railways, buses, airlines, etc.);
- Classical indicators associated with each link:
  - travel time;
  - cost;
  - flow (nbr of persons per unit of time);
  - capacity (= maximum flow);
- Static (average state) or dynamic (varies across time).

# Modeling framework

- We focus on the transportation of people;
- Four step travel demand model;
- Decomposes the travel decision into 4 levels/ steps;
- Each step involves:
  - The description of a specific behavior:
    - 1 Is a trip performed or not?
    - 2 What is the destination?
    - 3 What is the transportation mode?
    - 4 What is the itinerary?
  - Data collection;
  - Modeling assumptions.

# Four step model



# Step 0: Preparing the scope of the analysis

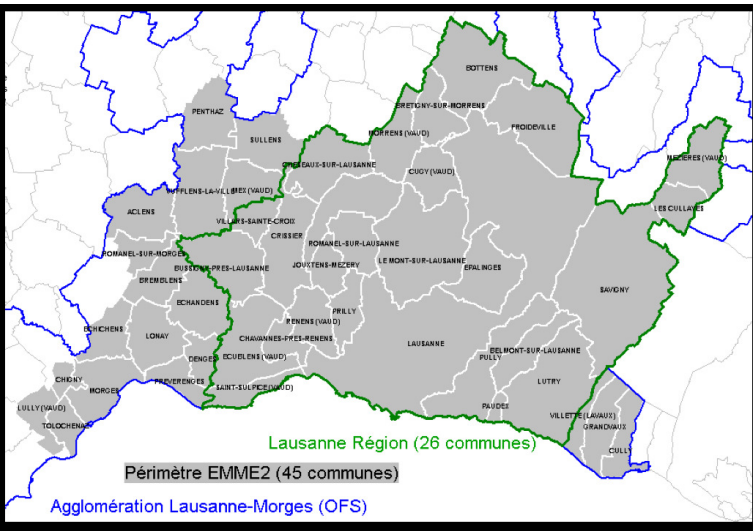
## Spatial scope:

- Identification of the relevant perimeter for the analysis;
- Partition of the perimeter into geographical zones (e.g. Lausanne: 500 zones);
- Assumption: trips within a zone are ignored.

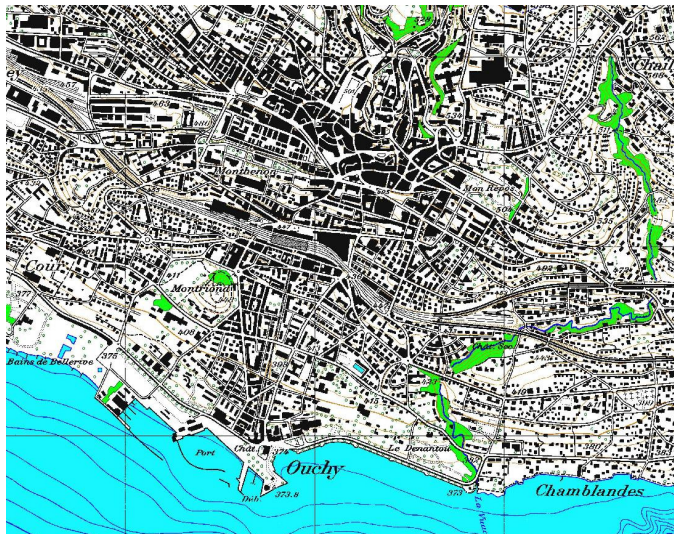
## Temporal scope:

- Identification of the period of the analysis (e.g. morning peak-hour, evening peak-hour etc.).

# Perimeter



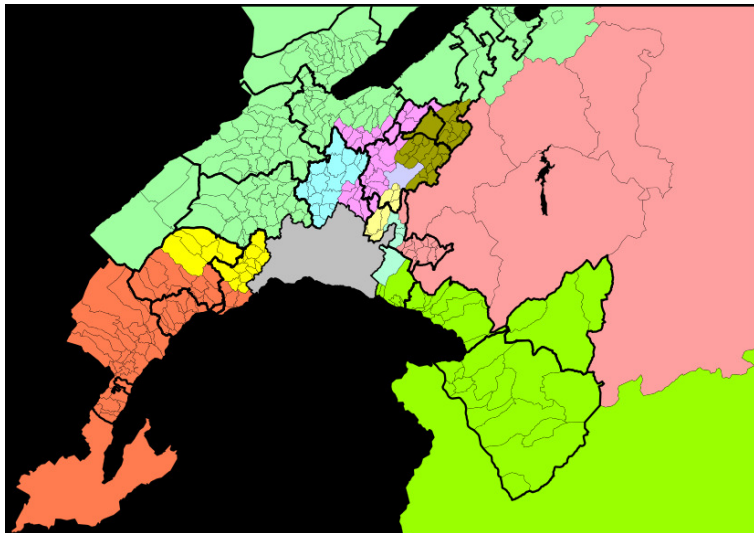
# Zoning



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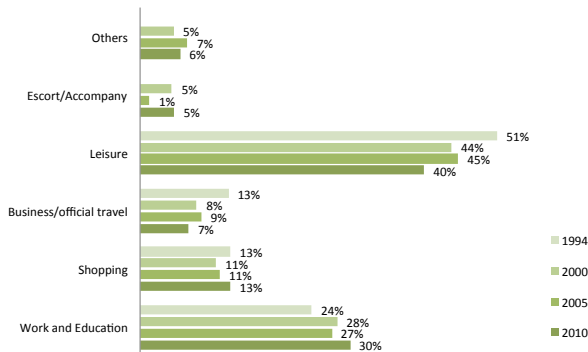


# Step 1: Trip generation

*Is a trip performed or not?*

- Derived demand
- Two successive activities are not proximal
- Data from Swiss Micro-census (1994-2010) →

Travel purposes (contribution to daily travel distances) 1994-2010



## Step 1: Trip generation (cont.)

- Land use, urban planning and transport are closely related.
- Question: where are the activities located?
- Main locations to identify in a city:
  - housing;
  - work places;
  - shops and commercial centres;
  - schools.
- Many studies focus on home-based trips.

## Step 1: Trip generation (cont.)

Aggregate representation:

- For each zone, determine:
  - the number of trips originated from the zone (production);
  - the number of trips ending in the zone (attraction).during the analysis period
- Modeling tool: linear regression

$$Y = \beta_0 + \beta_1 X$$

with, for instance,  $Y$  = number of trips,  $X$  = population

Disaggregate representation:

- Activity choice models;
- Location choice models.

## Step 2: Trip distribution

*What is the destination?*

How many trips starting at a given origin are reaching a given destination?

- Aggregate representation: origin-destination (OD) matrix;
- Disaggregate representation: destination choice models.

## Step 2: Trip distribution (cont.)

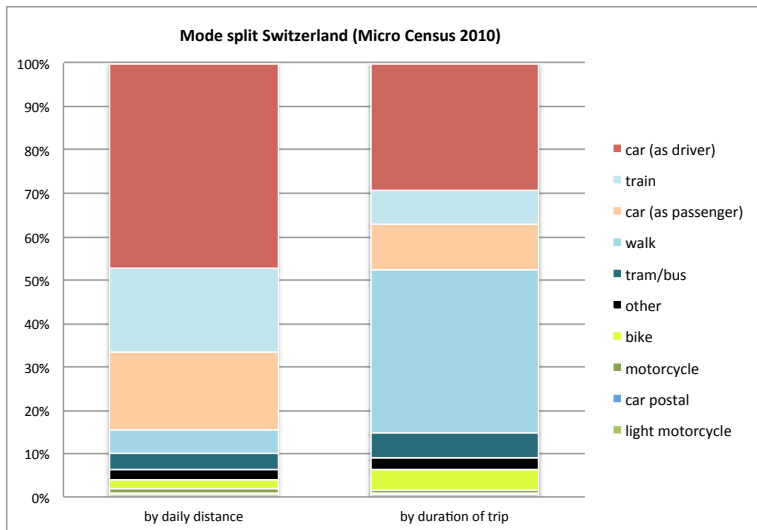
OD matrix

	$D_1$	$D_2$	$D_j$	
$O_1$	$T_{11}$	$T_{12}$	$T_{1j}$	$\dots$
$O_2$	$T_{21}$	$\ddots$		
$O_i$	$T_{i1}$		$T_{ij}$	
	$\vdots$			$\ddots$

- $T_{ij}$  is the flow between origin  $i$  and destination  $j$
- For each origin  $i$ ,  $\sum_j T_{ij} = O_i$
- For each destination  $j$ ,  $\sum_i T_{ij} = D_j$

## Step 3: Modal split

*What is the transportation mode? (Swiss example)*



## Step 3: Modal split

*What is the transportation mode?*

- Assume  $K$  modes
  - car (as driver);
  - car (as passenger);
  - bus;
  - metro;
  - bike;
  - motorbike;
  - walk;
  - etc.
- From OD matrix  $T$ , create  $K$  matrices  $T^k$  such that

$$T = \sum_{k=1}^K T^k$$

## Step 3: Modal split (cont.)

- In practice, generate a split function  $p$  such that:

$$0 \leq p(k|i,j) \leq 1, \forall i,j,$$

and

$$\sum_{k=1}^K p(k|i,j) = 1, \forall i,j$$

- Obviously, we have

$$T_{ij}^k = p(k|i,j) T_{ij}$$

- The split function  $p$  is derived from a mode choice model;
- This will be the main focus of part 1 of this course.



## Step 4: Trip assignment

*What is the itinerary?*

Aggregate representation:

- Shortest path algorithm;
- Based on travel time, so “fastest path”.

Disaggregate representation:

- Route choice models;
- Based on various indicators.

Note:

If many travelers use the best path, it will be congested...  
...and it will not be the best anymore.

This is captured by the concept of “traffic equilibrium”

# Summary

- Four step models
  - ① Generation;
  - ② Distribution;
  - ③ Modal split;
  - ④ Assignment.
- Each step captures a type of choice
  - ① Activity location choice;
  - ② Destination choice;
  - ③ Mode choice;
  - ④ Route choice.

Main objective of the first part of this course:

Introduction to choice models: theory and case studies focusing on mode choice.