

Forecasting

Aggregation

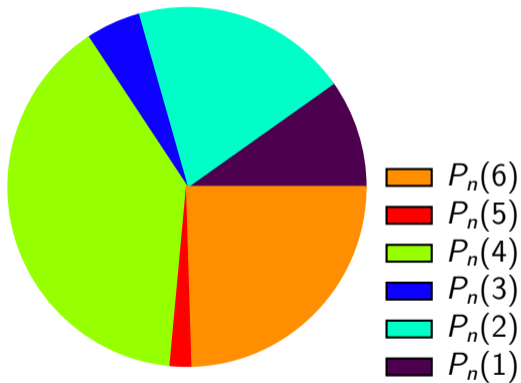
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Introduction to choice models



Microsimulation

Microsimulation



Microsimulation

Simulated choice

- ▶ For each observation, draw R times from the choice model.
- ▶ Define $\hat{y}_{inr} = 1$ if alternative i has been generated by draw r , 0 otherwise.
- ▶ Approximation:

$$P_n(i|x_n; \theta) \approx \frac{1}{R} \sum_{r=1}^R \hat{y}_{inr}.$$

Warning

It is **invalid** to select the alternative with the highest probability.

Aggregate market shares

Number of individuals choosing alternative i

$$N(i) = \frac{1}{R} \sum_{n=1}^N \sum_{i=1}^R \hat{y}_{inr}.$$

Share of the population choosing alternative i

$$N(i) = \frac{1}{N} \frac{1}{R} \sum_{n=1}^N \sum_{i=1}^R \hat{y}_{inr}.$$

Microsimulation

For each r

Population	Alternatives				Total
	1	2	...	J	
1	\hat{y}_{11r}	\hat{y}_{21r}	...	\hat{y}_{J1r}	1
2	\hat{y}_{12r}	\hat{y}_{22r}	...	\hat{y}_{J2r}	1
\vdots	\vdots	\vdots	\vdots	\vdots	\vdots
N	\hat{y}_{1Nr}	\hat{y}_{2Nr}	...	\hat{y}_{JNr}	1
Total	$N(1)$	$N(2)$...	$N(J)$	N

Microsimulation

In practice

Population	Draw			
	1	2	...	R
1	i_{11}	i_{12}	...	i_{1R}
2	i_{21}	i_{22}	...	i_{2R}
\vdots	\vdots	\vdots	\vdots	\vdots
N	i_{N1}	i_{N2}	...	i_{NR}